

Hydrological post-processing of streamflow forecasts issued from multimodel ensemble prediction systems

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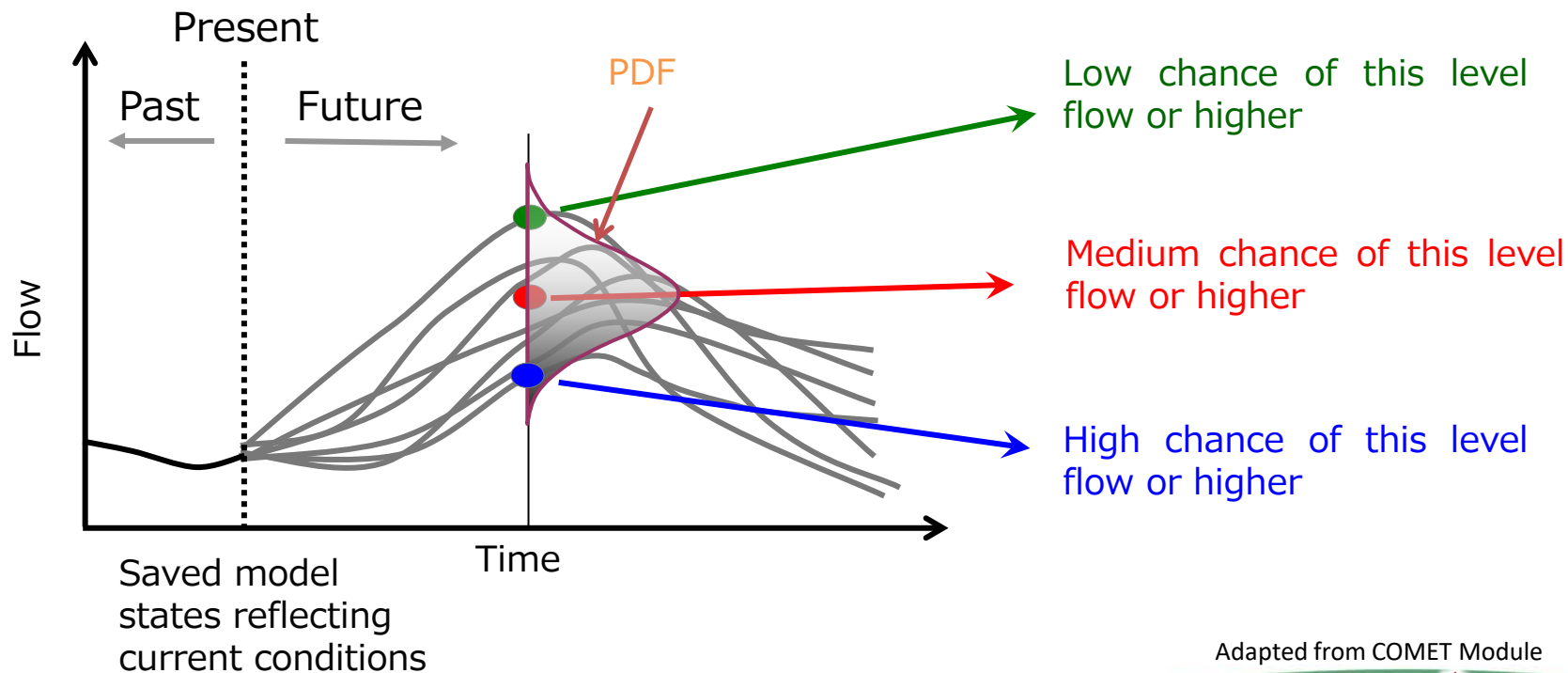
Université Laval

FloodNet, June 27th 2017



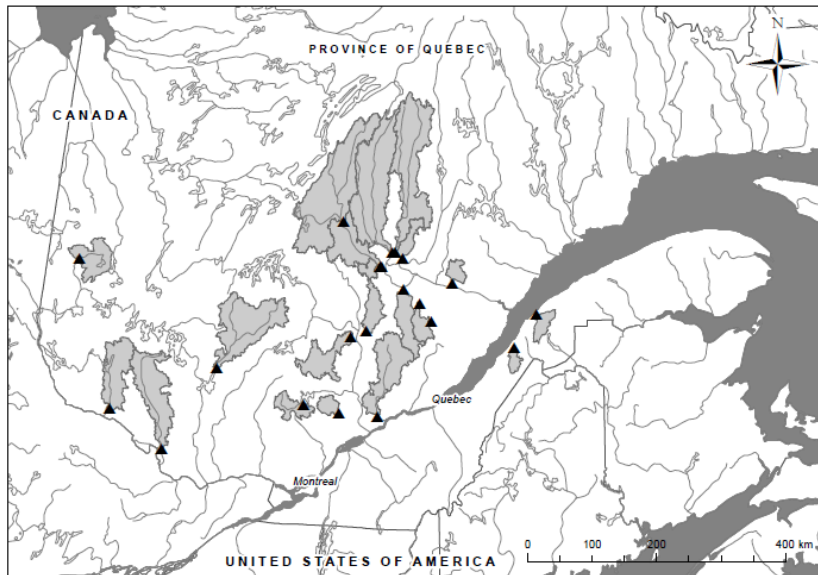
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Hydrological Ensemble Prediction



Adapted from COMET Module

The Experiment



Thibault et al. 2015

Meteorology

- 50 members

Initial conditions

- 50 *EnKF* members

























Structural

- 20 daily lumped models

50,000 members

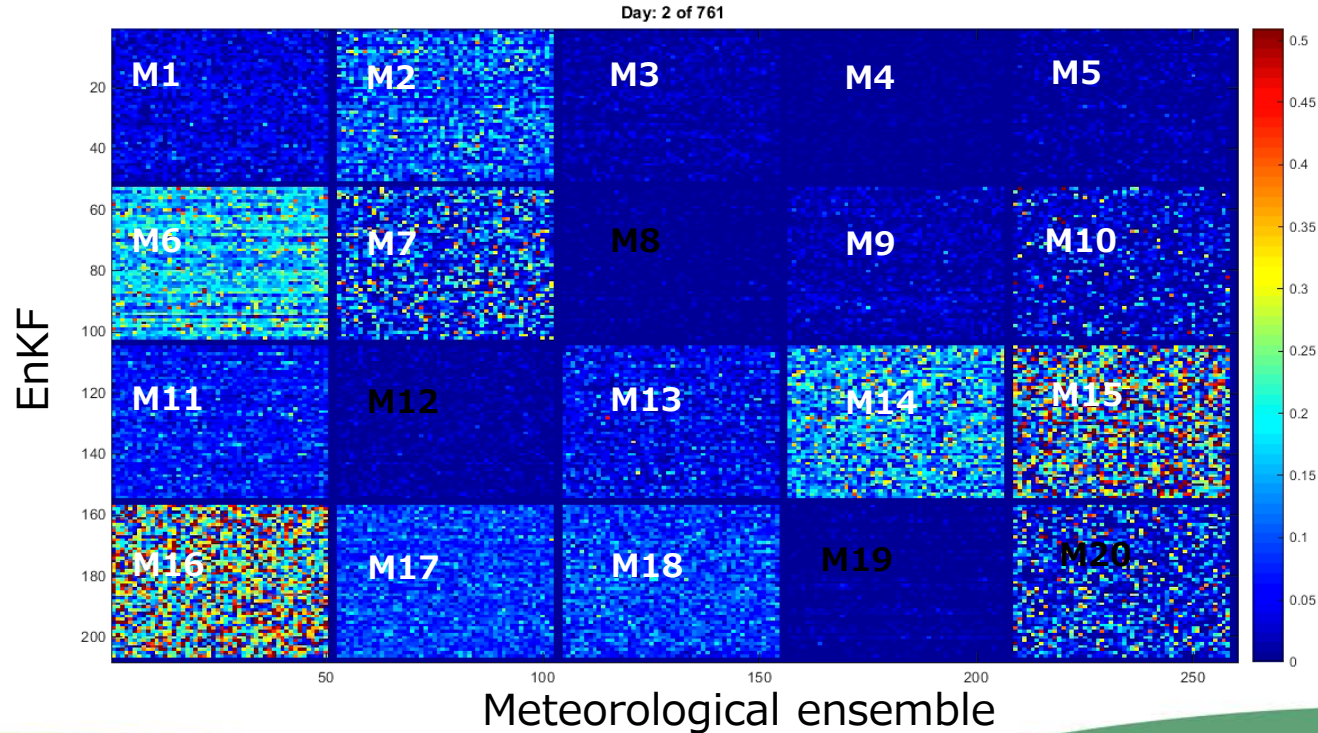
Managing Uncertainty

Table 1. Description of the forecasting systems

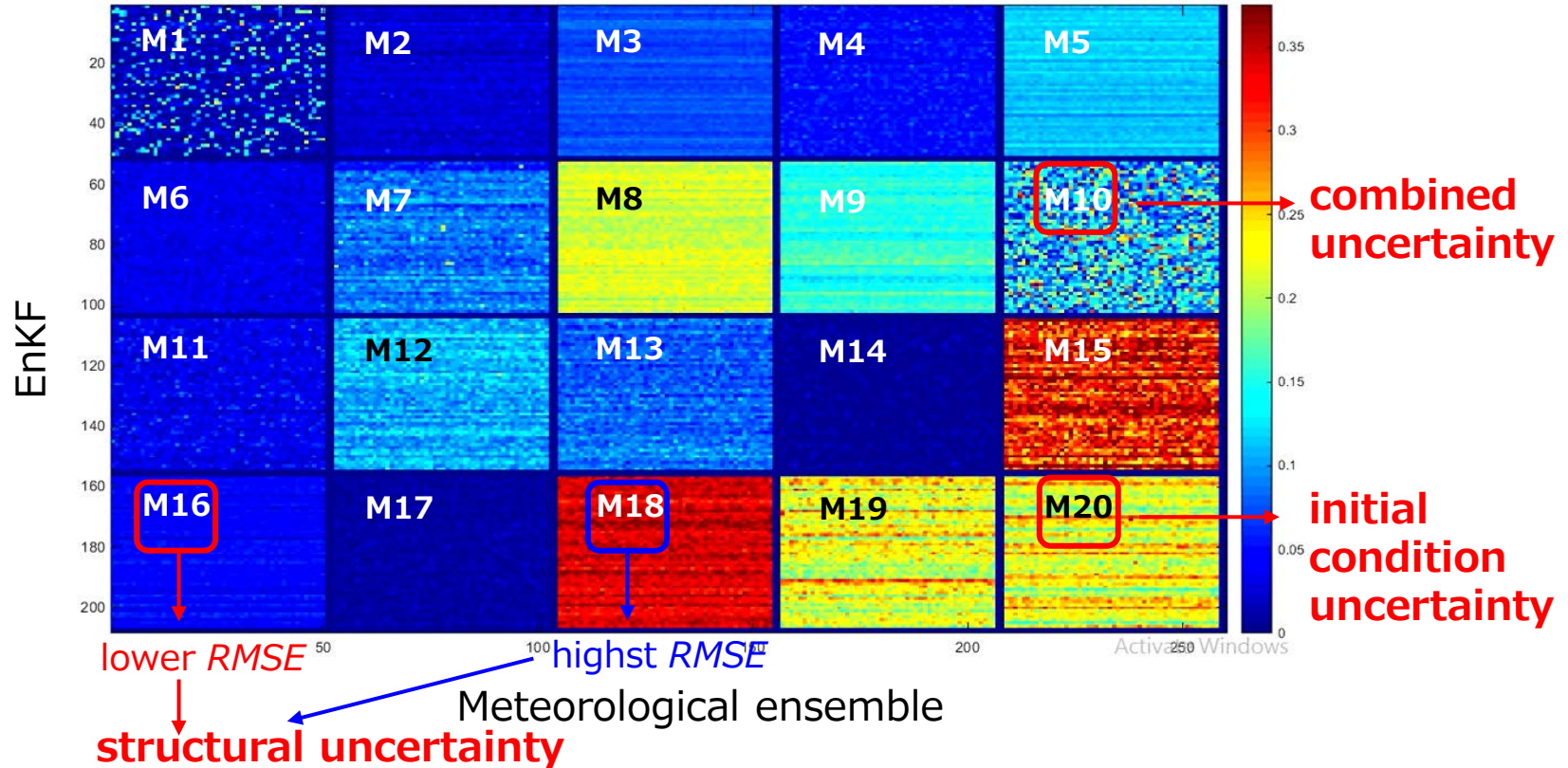
Systems	A	B	C	D	E	F	G	H
Multimodel								
EnKF								
Met. ensemble								
Nb of members	(20×)1	(20×)50	(20×)50	(20×)2500	20	1000	1000	50 000

Structural Uncertainty Model Uncertainty Data Uncertainty Hybrid Uncertainty

Visualization



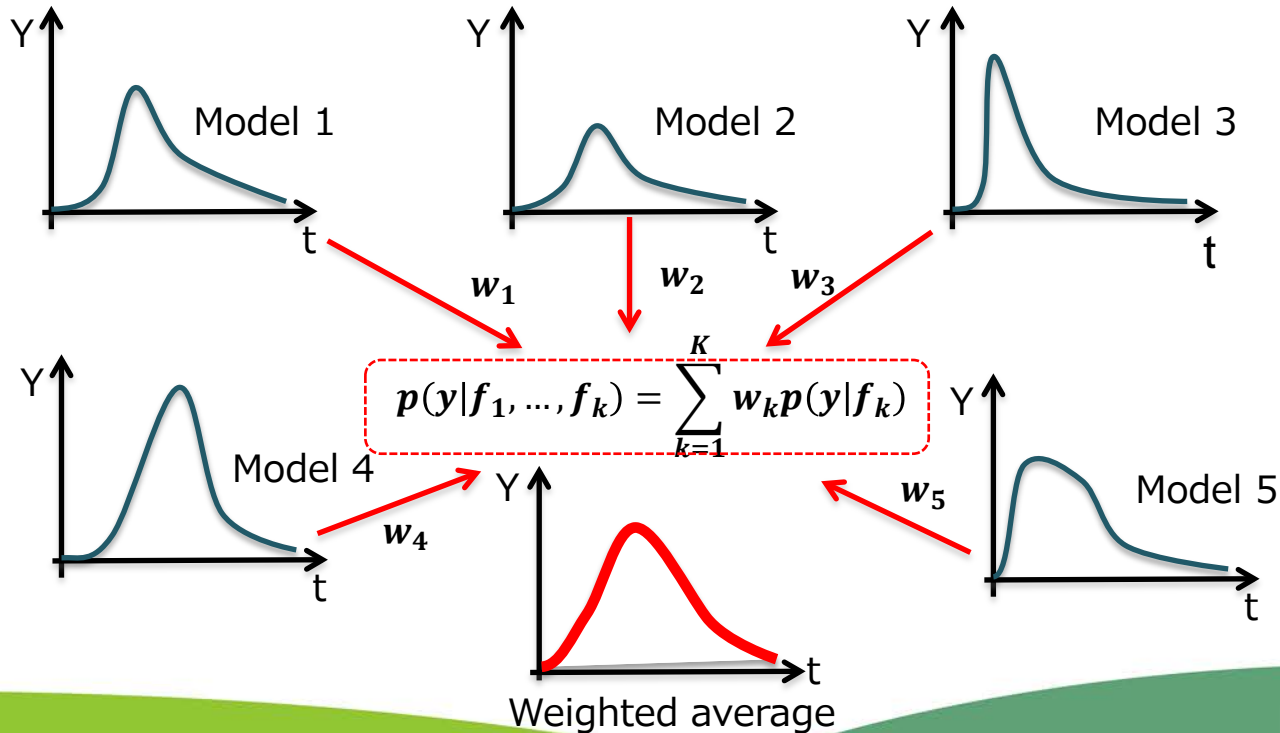
Visualization



Research objective

Could we search for specific weights for each model?

Bayesian model averaging (BMA)



Bayesian model averaging (BMA)

$$p(y|f_1, \dots, f_k) = \sum_{k=1}^K p(f_k) \cdot p(y|f_k) = \sum_{k=1}^K w_k \cdot p(y|f_k)$$

where, y is the streamflow observation;

f_k is the forecast from model (member) k ,

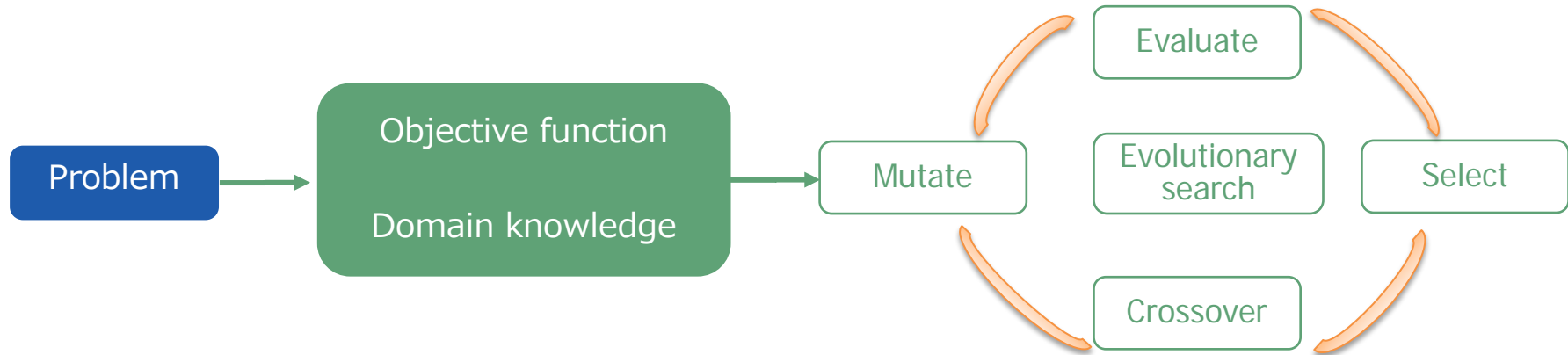
$p(f_k)$ is the posterior probability of the model prediction f_k .

Besides, it is usually replaced by a weight w_k that represents the credibility of model k .

$p(y|f_k)$ is the predictive probability density function (PDF) of streamflow observation according to model k .

Multiobjective genetic algorithm: NSGA-II

NSGA-II is a nondominated sorting-based multiobjective genetic algorithm. ([Kalyanmoy Deb., 2002](#))

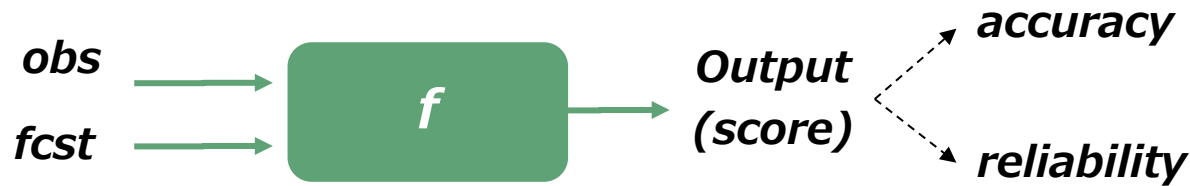


The process of searching for the optimal solution from a set of candidates to the problem of interest based on the certain *performance criteria* (objective function).

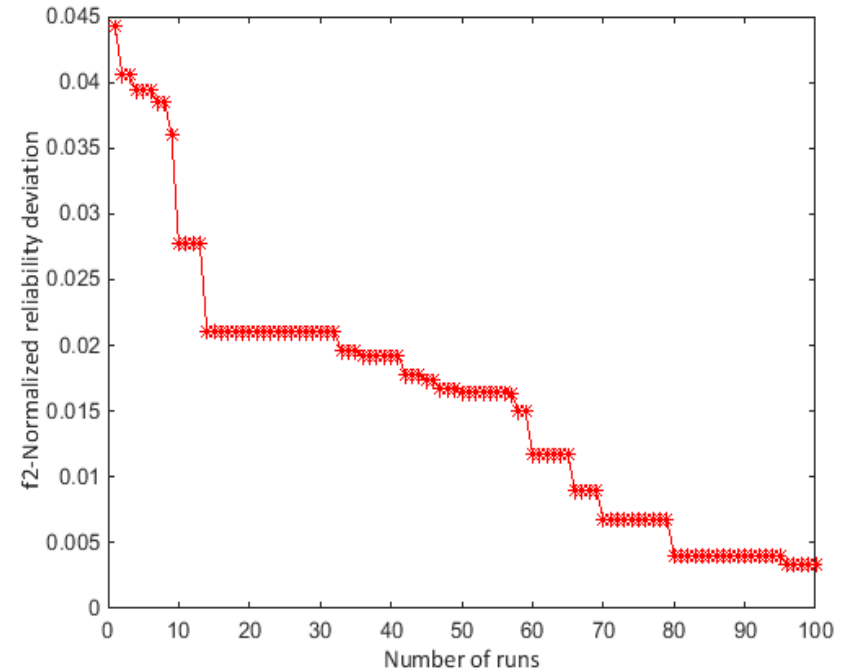
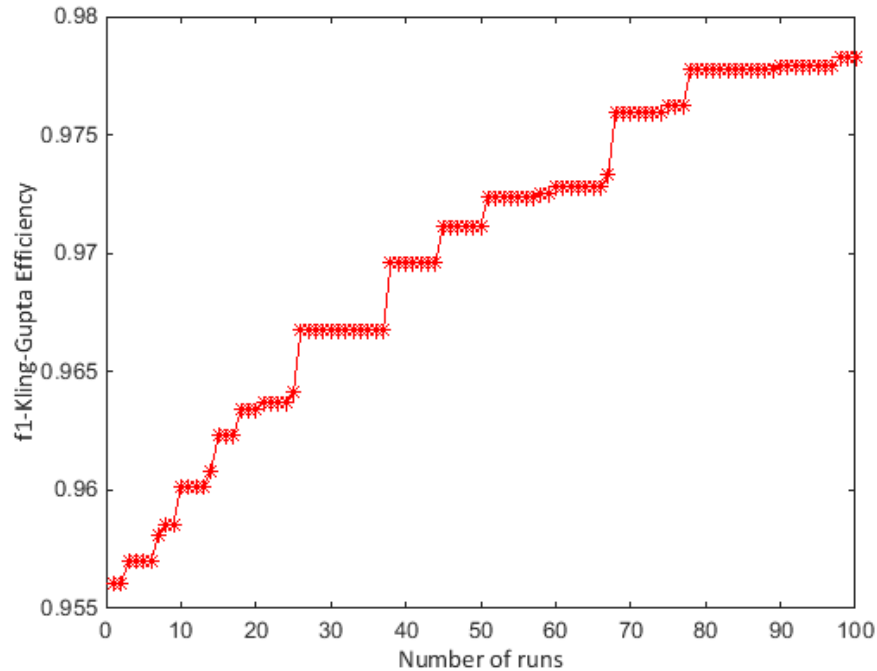
Multiobjective genetic algorithm: NSGA-II

Objective functions for optimization (performance criteria):

1. The Kling-Gupta efficiency ([Gupta et al., 2009](#))
2. Normalized reliability deviation score (NRD', in %) ([Fortin et al., 2014](#))

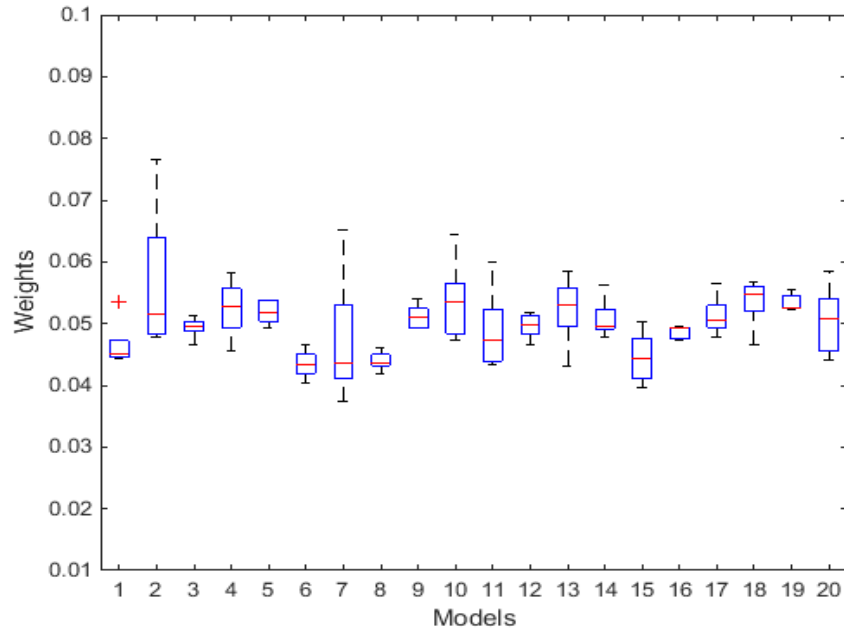


NSGA-II pareto fronts

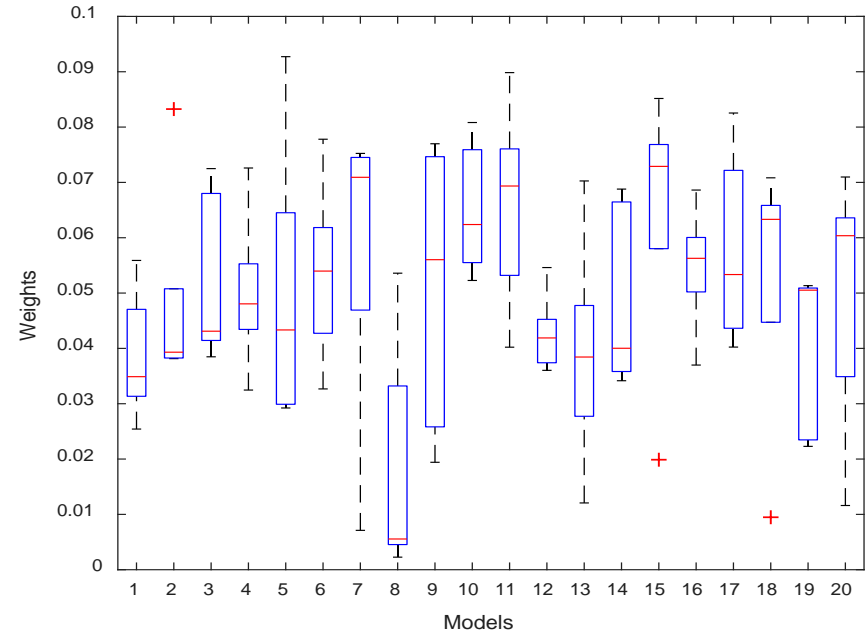


Comparison of weights of *system E*

BMA

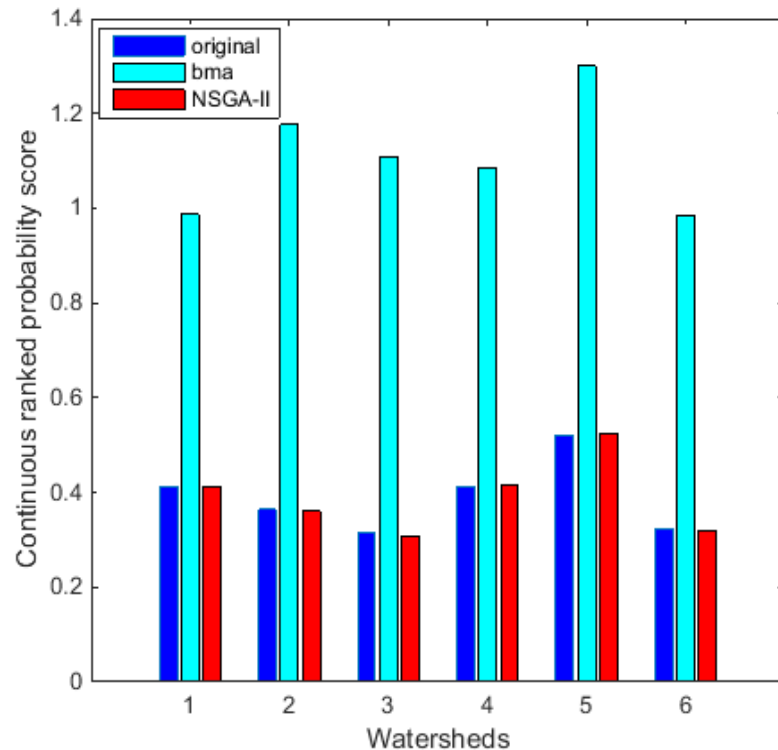
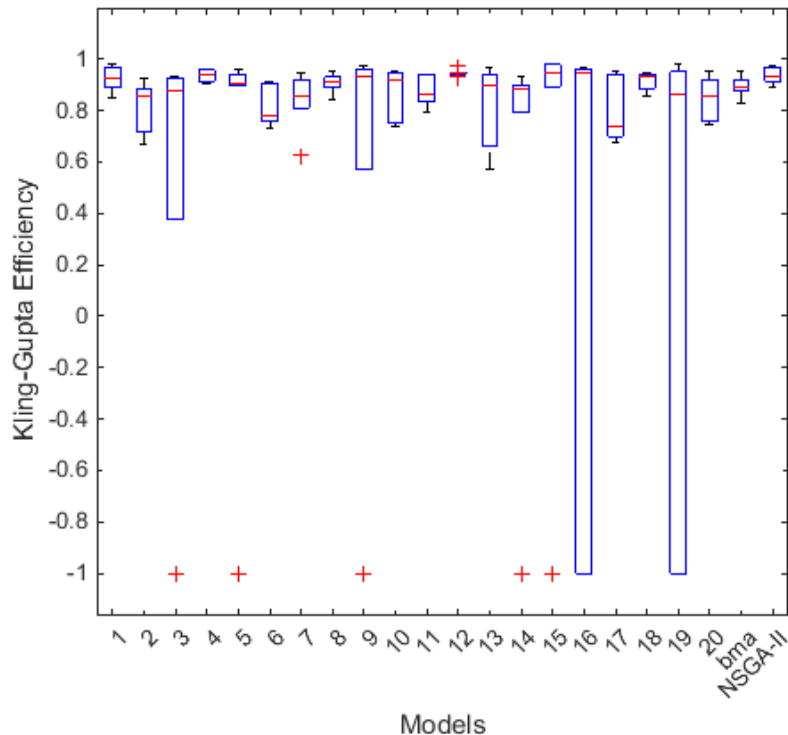


NSGA-II



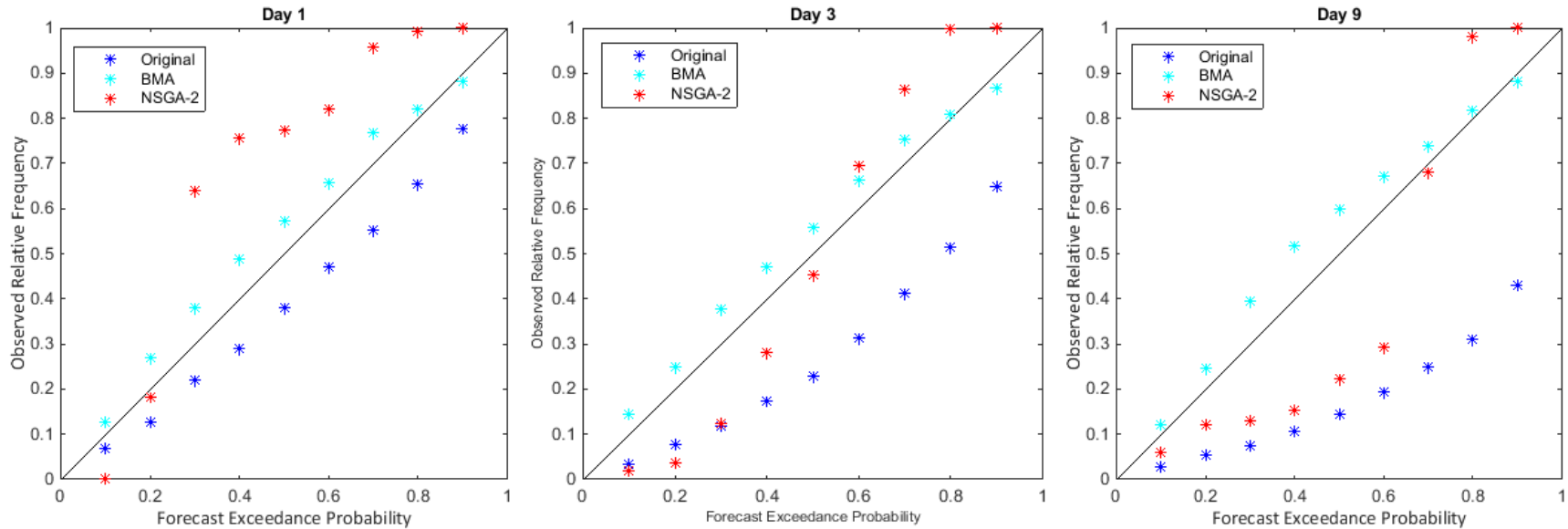
Comparison of accuracy verification results of *system E*

(Watershed #1-#6, Horizon 1)



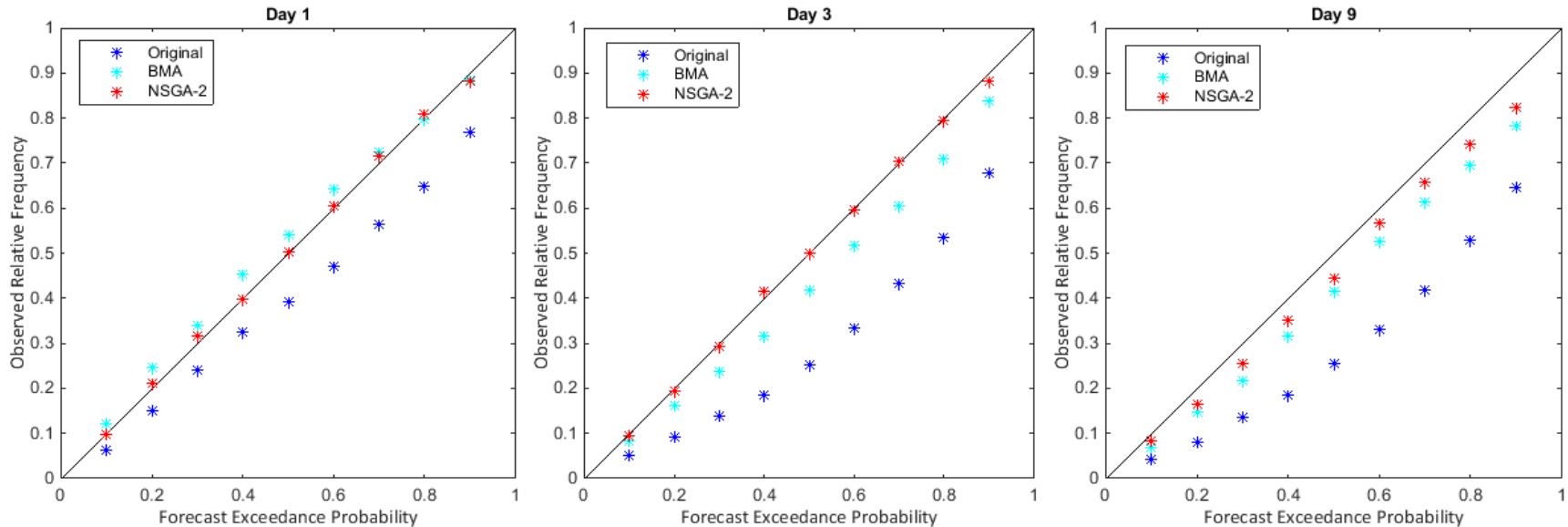
Comparison of reliability verification of *systmes E, F, G, H* (Watershed #1 Trois Pistoles)

System E: Structural Uncertainty



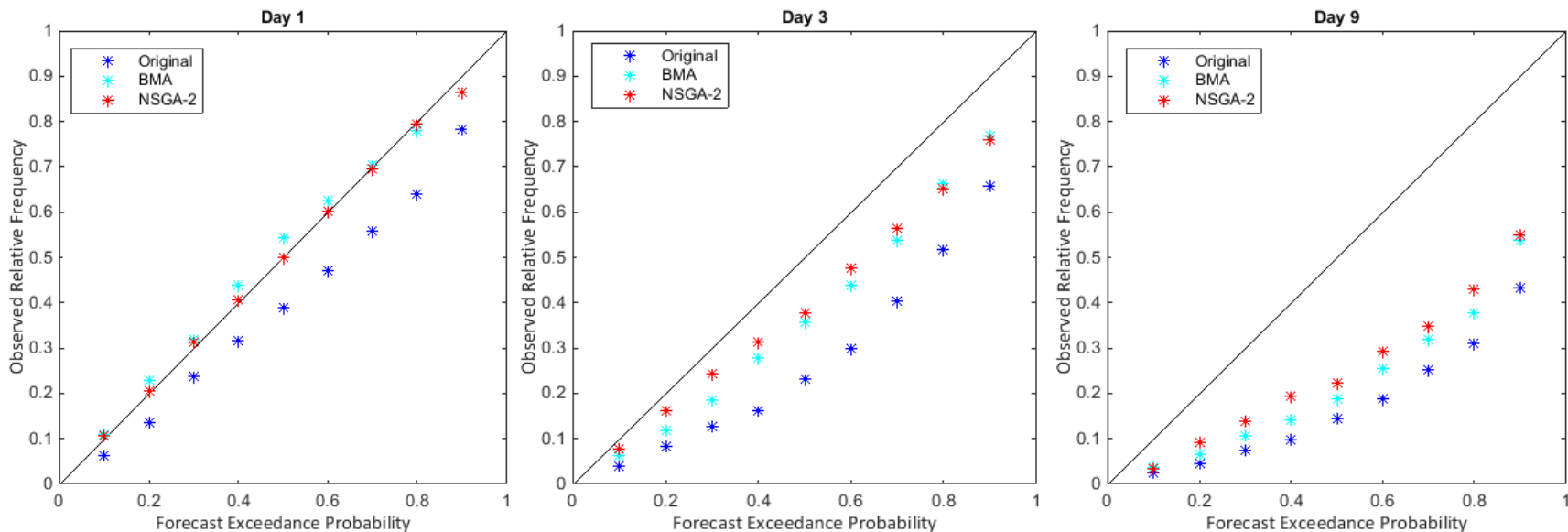
Comparison of Reliability verification of *systemes E, F, G, H* (Watershed #1 Trois Pistoles)

System F: Meteorological Uncertainty



Comparison of Reliability verification of *systmes E, F, G, H* (Watershed #1 Trois Pistoles)

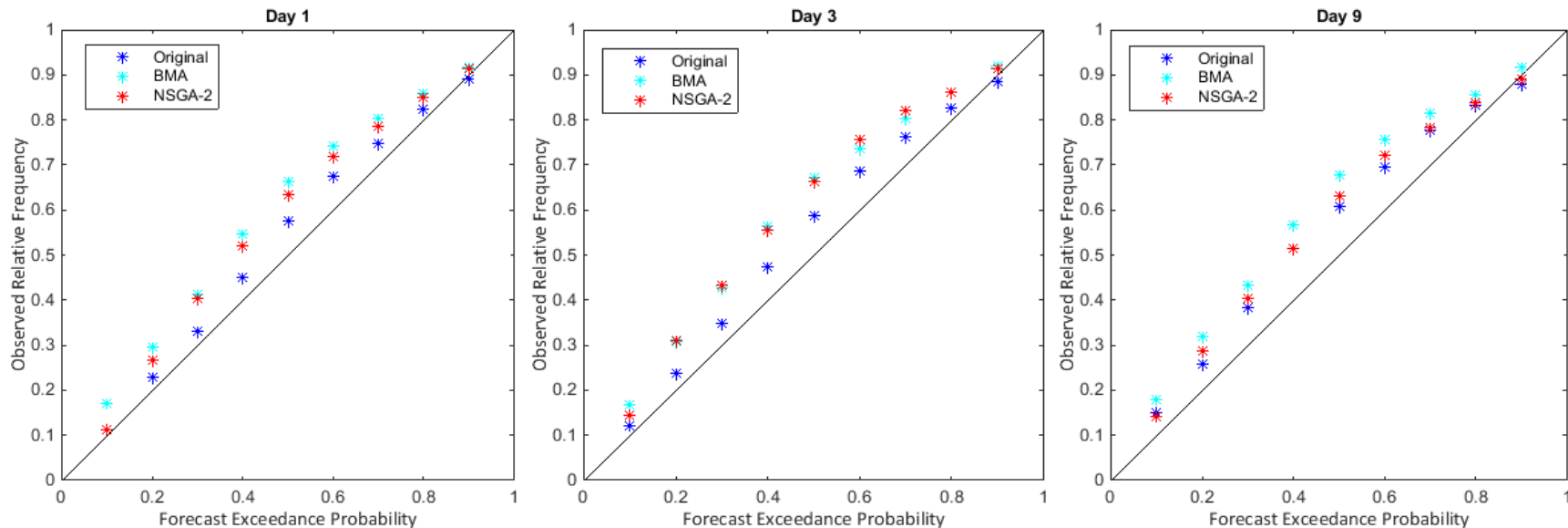
System G: Initial Conditions Uncertainty



Comparison of Reliability verification of *systmes E, F, G, H*

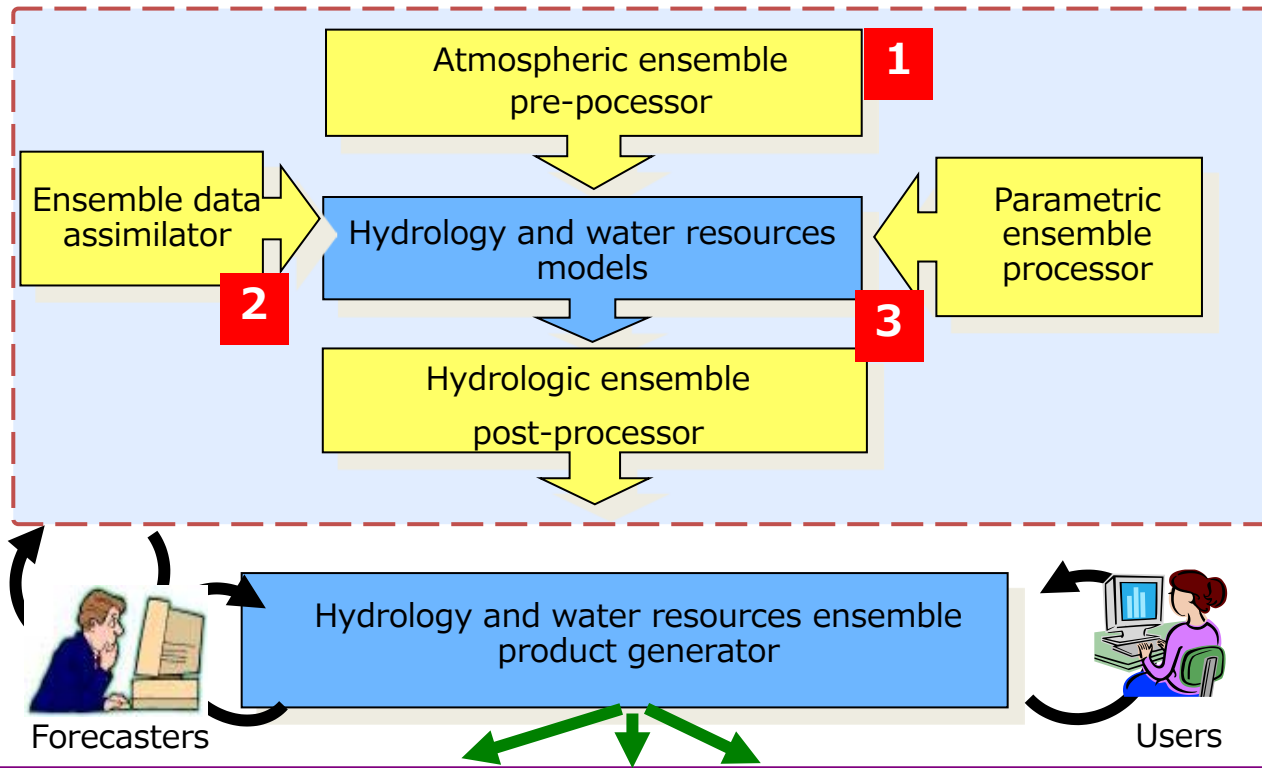
(Watershed #1 Trois Pistoles)

System H: Combined Uncertainty

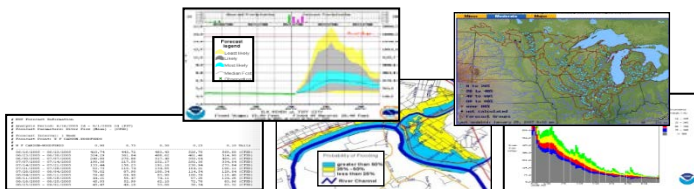


Thank you!
Merci beaucoup!

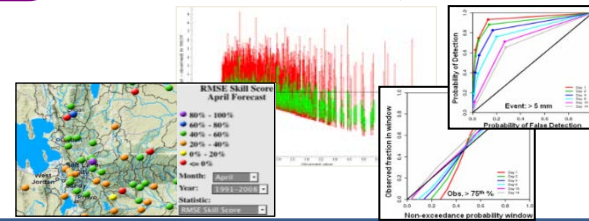
Hydrological ensemble prediction system (H-EPPS)



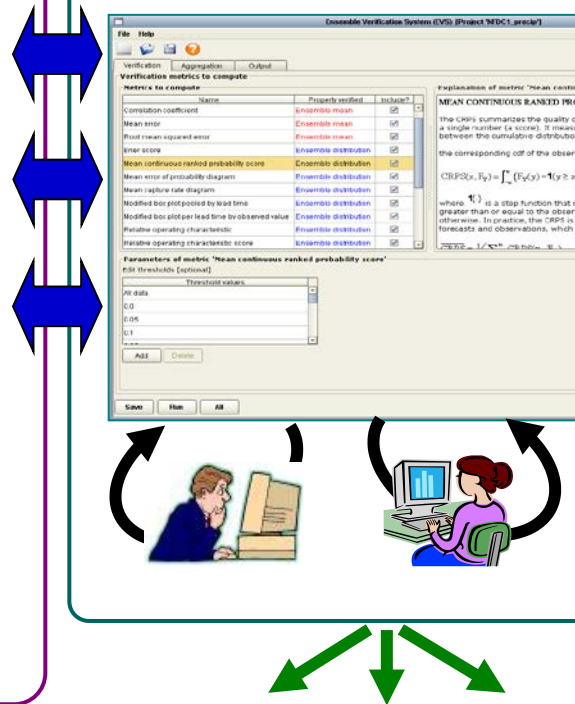
Ensemble forecast products



Verification products



Ensemble verification system



The Kling-Gupta efficiency

The Kling-Gupta efficiency (Gupta et al., 2009)

This performance criteria was used to assess the model performance comprehensively.

$$KGE = 1 - ED$$

$$ED = \sqrt{(r - 1)^2 + (\alpha - 1)^2 + (\beta - 1)^2}$$

$$\alpha = \sigma_s / \sigma_0 \quad \beta = \mu_s / \mu_0$$

Where ED is the Euclidian distance from the ideal point, r is the correlation coefficient between the simulations and the observations. μ_0 and σ_0 are the mean and standard deviation of the observations, μ_s and σ_s are the mean and standard deviation of the simulations, α is a measure of the relative variability in the simulated and observed values, and β is the ratio of the mean values of simulations and observations.

Without any simulation errors, the values of the three components are, $r=1$, $\alpha=1$ and $\beta=1$. In this condition, KGE value is 1.

The Kling-Gupta efficiency (*KGE*)

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Normalized reliability deviation score (NRD')

Normalized reliability deviation score (Fortin et al., 2014, Abaza et al., 2015)

This performance criteria was used to assess reliability of ensemble prediction.

$$NRD' = 100 \times \frac{RMSE - \sigma}{RMSE}$$

$$RMSE = \sqrt{\frac{1}{M} \sum_{t=1}^M (Q_{ens,t} - Q_{obs,t})^2}$$

$$\sigma = \sqrt{\frac{1}{M} \sum_{t=1}^M \frac{1}{N-1} \sum_{i=1}^N (Q_{sim,i,t} - \overline{Q_{ens,t}})^2}$$