



Investigating Techniques for Flood Quantile Estimation in Canada

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Outline of Presentation

- 1 Introduction
- 2 Flood Frequency Analysis
- 3 Regional FFA
- 4 Seasonality Measure
- 5 Region of Influence
- 6 Study area & Dataset
- 7 Regional Models

Introduction

- Floods are a damaging form of natural disaster
- Effects have been experienced around the world
- Most common natural hazard in Canada



Introduction

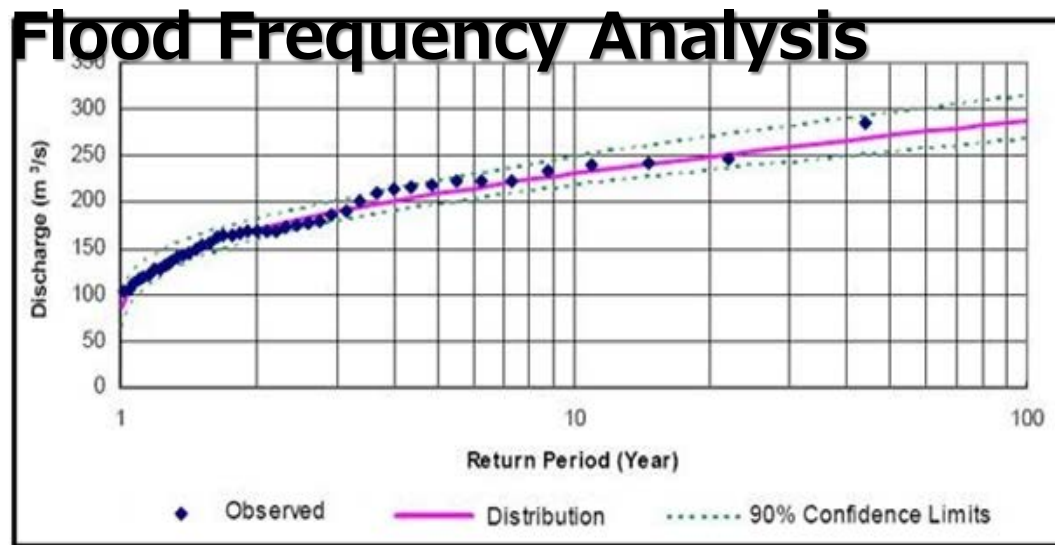
- Effective mitigation requires reliable flood estimation
- Accurate estimation of probability of exceedance
- Requirement for design of flood protection infrastructure

Flood Frequency Analysis



Flood Frequency Analysis

- Studying the past events
- Determine the probability of future occurrences
- Theoretical frequency distribution

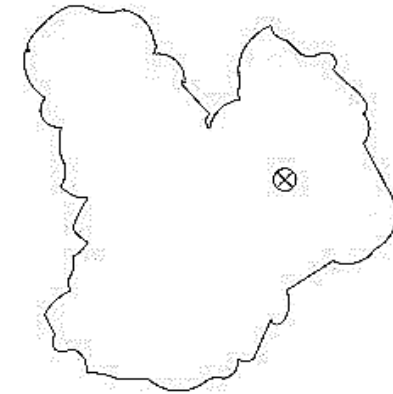


Flood Frequency Analysis

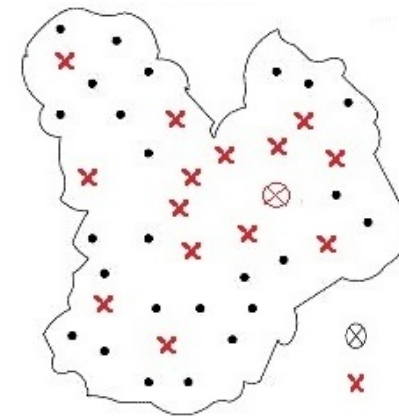
- At-site flood frequency analysis
- Reliable for sufficiently long flow records
- Insufficient gauging network/data record

Resolution: Trading space for time

Regional Frequency Analysis



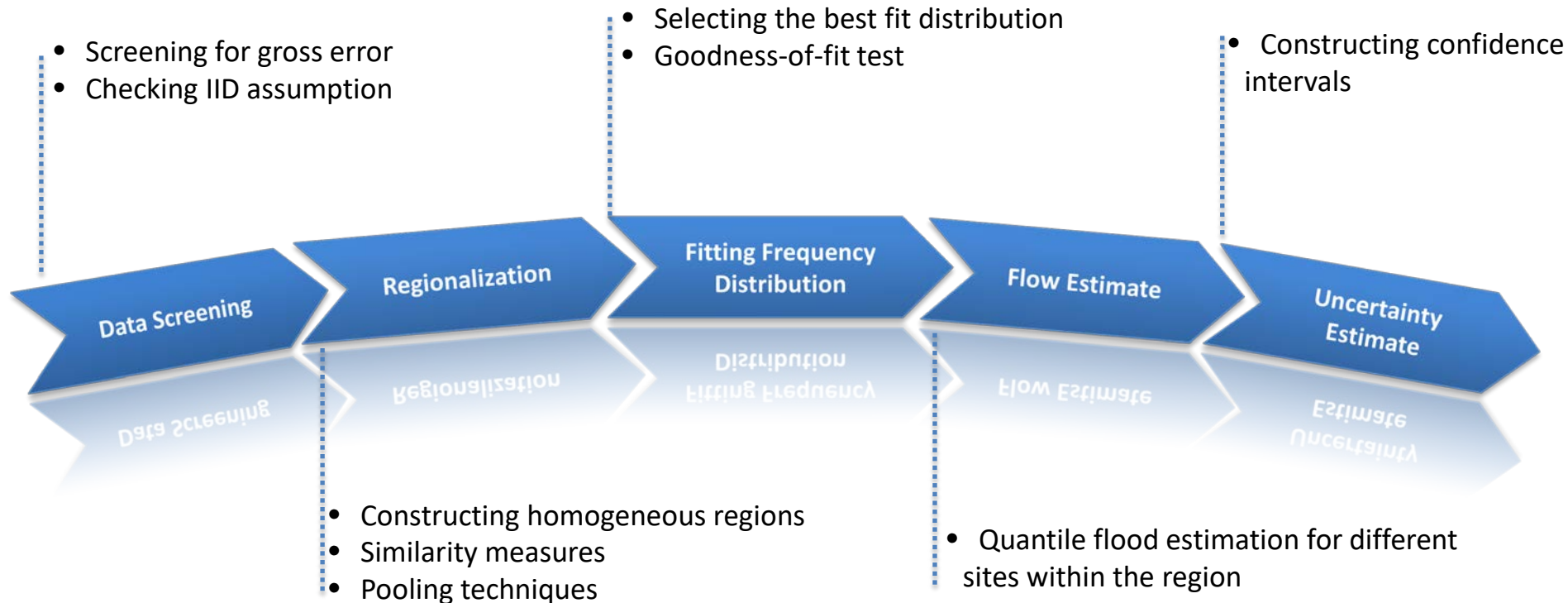
40
station year



500
station years

⊗ target site
✕ neighboring station
• non-neighboring station

Regional Flood Frequency Analysis



Regional Flood Frequency Analysis

Data Screening

➤ Checking for gross errors

- Incorrect data values
- Outliers

Regionalization

Fitting
Frequency
Distribution

➤ Temporal trend analysis: Mann-Kendall test

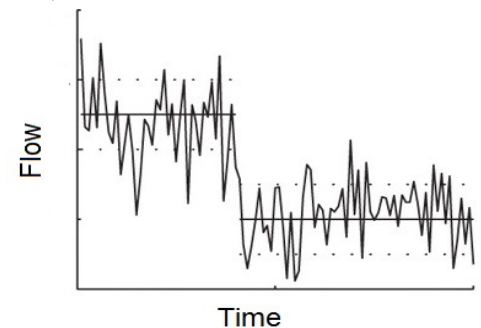
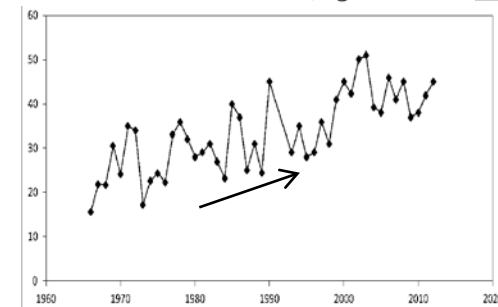
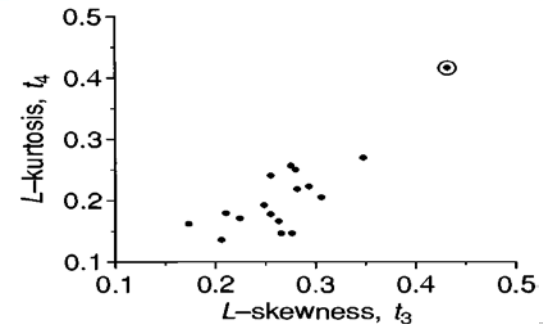
- Nonparametric rank-based test
- Significance of monotonic trend
- False trend detection in case of positive correlation
- Block bootstrap test/ resample data in block

Flow Estimate

➤ Change-point detection

- Nonparametric rank-based test
- Sudden shift in the mean of data

Uncertainty
Estimate



Regional Flood Frequency Analysis

Data Screening

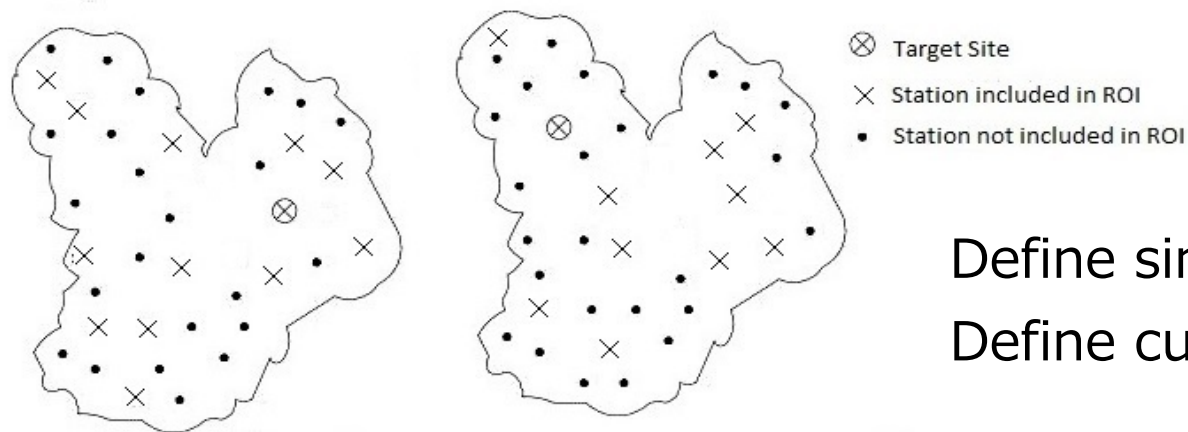
Regionalization

Fitting
Frequency
Distribution

Flow Estimate

Uncertainty
Estimate

- Regionalization approaches
- Formation of homogenous regions
- Based on site focused approach
- Region of Influence approach (ROI)



Define similarity
Define cut-off point

Regional Flood Frequency Analysis

Data Screening

Regionalization

Fitting
Frequency
Distribution

Flow Estimate

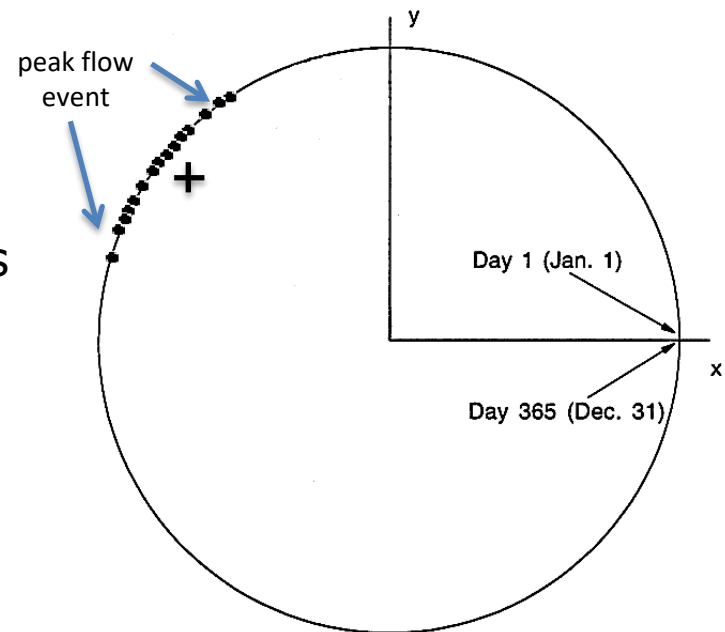
Uncertainty
Estimate

Similarity measure:

- Physiographic characteristics
- Flood statistics
- Flood seasonality**

Seasonality measure:

- Julian date of peak flow events
- Converted to angular value



Regional Flood Frequency Analysis

Data Screening

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Uncertainty
Estimate

Seasonality measure:

$$\theta_i = (\text{Julian Date})_i \frac{2\pi}{365}$$

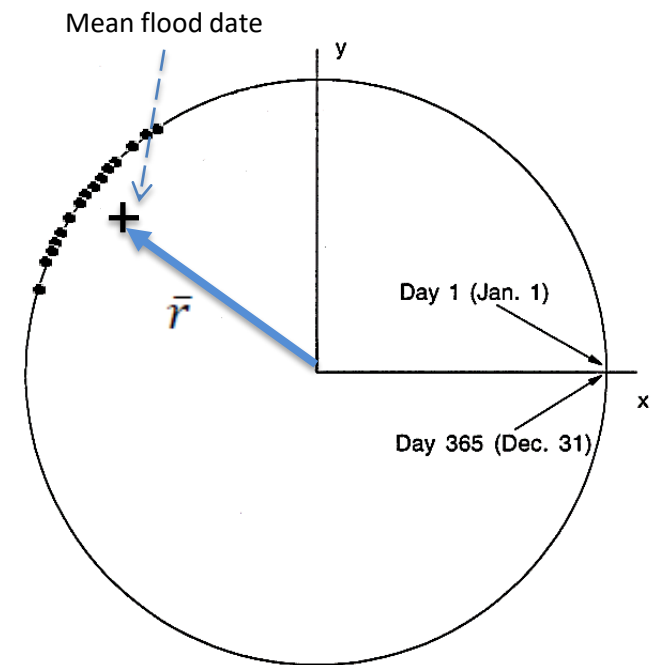
$$\bar{x} = \frac{1}{n} \sum_{i=1}^n \cos(\theta_i) \quad \bar{y} = \frac{1}{n} \sum_{i=1}^n \sin(\theta_i)$$

$$MD = \tan^{-1} \left(\frac{\bar{y}}{\bar{x}} \right) \frac{365}{2\pi}$$

$$\bar{r} = \sqrt{\bar{x}^2 + \bar{y}^2}$$

Flow magnitude as weights:

$$\bar{x}' = \frac{\sum_{i=1}^n q_i \cos(\theta_i)}{\sum_{i=1}^n q_i} \quad \bar{y}' = \frac{\sum_{i=1}^n q_i \sin(\theta_i)}{\sum_{i=1}^n q_i}$$



Regional Flood Frequency Analysis

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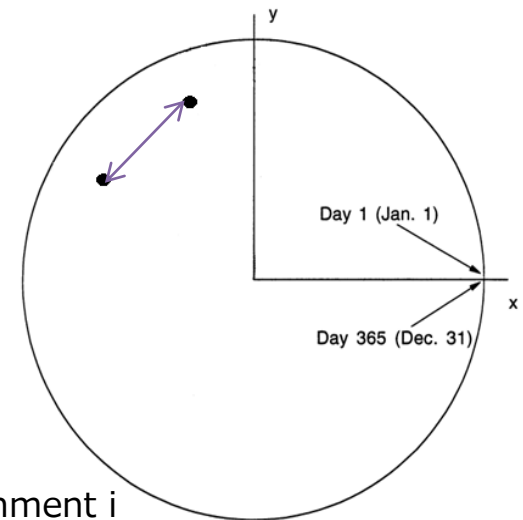
Similarity measure:

- Distance metric (Euclidian distance)
- Defining closeness of each station to every other
- Seasonality measure is employed in defining similarity between sites

$$D_{ij} = \left[\sum_{m=1}^M (x_m^i - x_m^j)^2 \right]^{1/2}$$

D_{ij} is the dissimilarity between catchment i and j

x_m^i are the coordinated of the mean flood date for catchment i



Regional Flood Frequency Analysis

Data Screening

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Based on L-moment theory of Hosking and Wallis (1997):

- Construct L-moments
- Regional weighted average
- Testing homogeneity of pooling groups
- Compares variability of L-moment ratios to expected value

$$H = \frac{(V - \mu_V)}{\sigma_V}$$

If $H < 1$ acceptably homogeneous region
If $1 \leq H < 2$ Possibly Heterogeneous region
If $H \geq 2$ definitely Heterogeneous region

Regional Flood Frequency Analysis

Data Screening

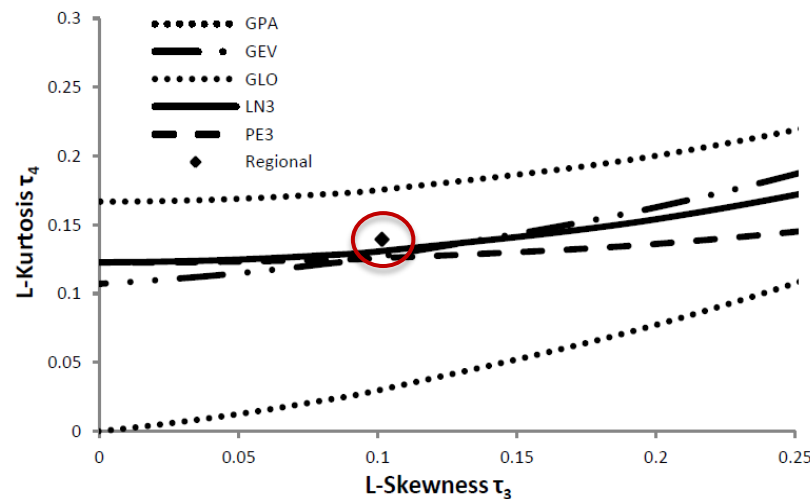
Regionalization

Fitting
Frequency
Distribution

Flow Estimate

Uncertainty
Estimate

- Using the L-moments approach
- Check goodness-of-fit test
- Compare fit of different distributions to regional average
- Select best fitted regional distribution



Regional Flood Frequency Analysis

Data Screening

Regionalization

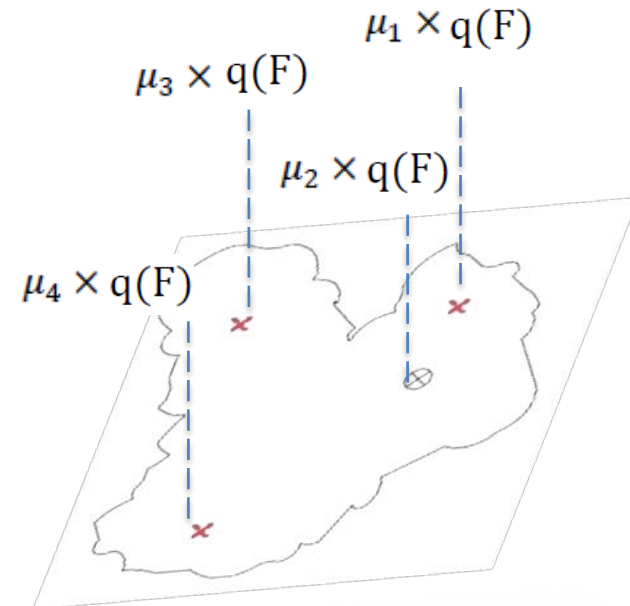
Fitting
Frequency
Distribution

Flow Estimate

Uncertainty
Estimate

- Approach based on index-flood
- Flow quantile at each site
- Product of pooled quantile and index flow

$$Q_i(F) = \mu_i q(F)$$



Regional Flood Frequency Analysis

Data Screening

Regionalization

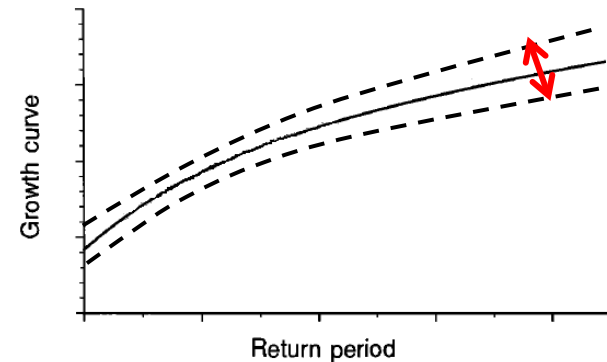
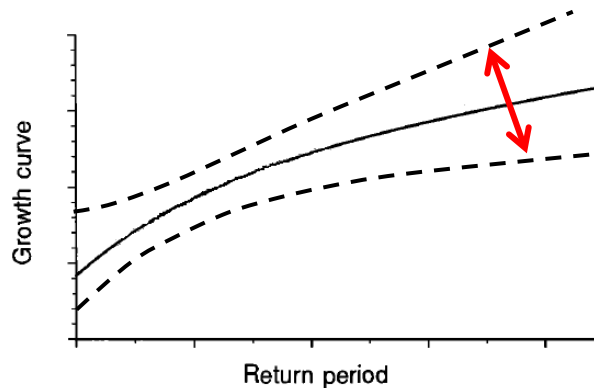
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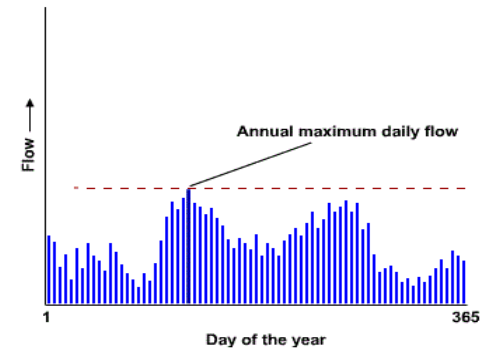
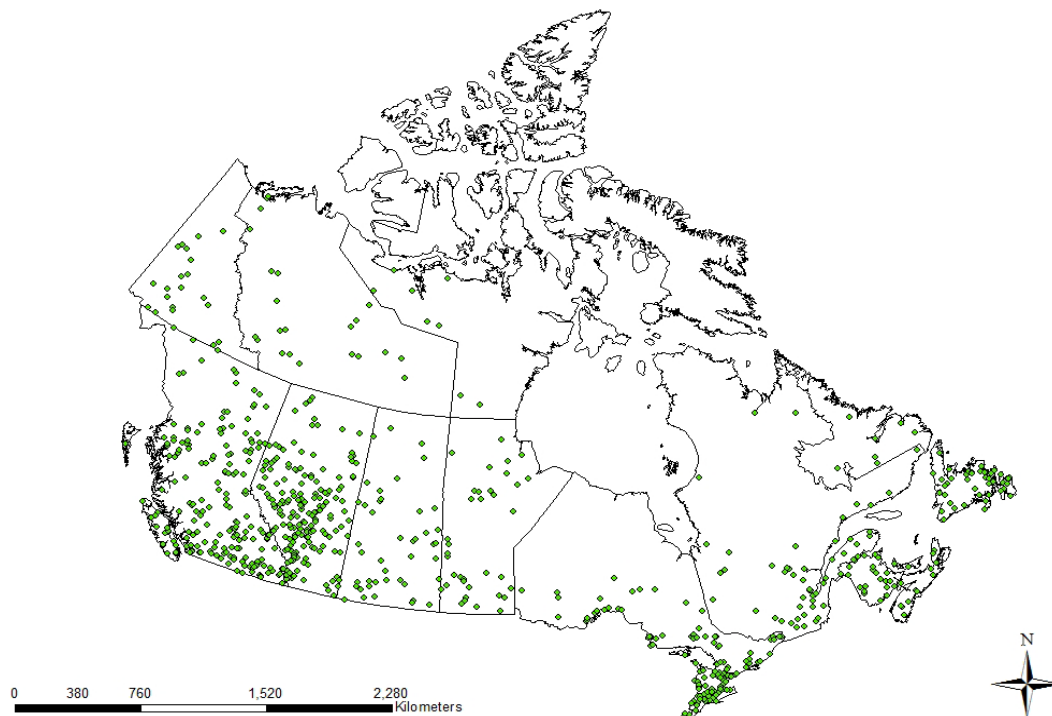
Estimating quantile uncertainty:

- Based on confidence interval for quantile estimates
- Bootstrap approach was used
- For both at-site and pooled quantiles
- Narrower CI, lower uncertainty



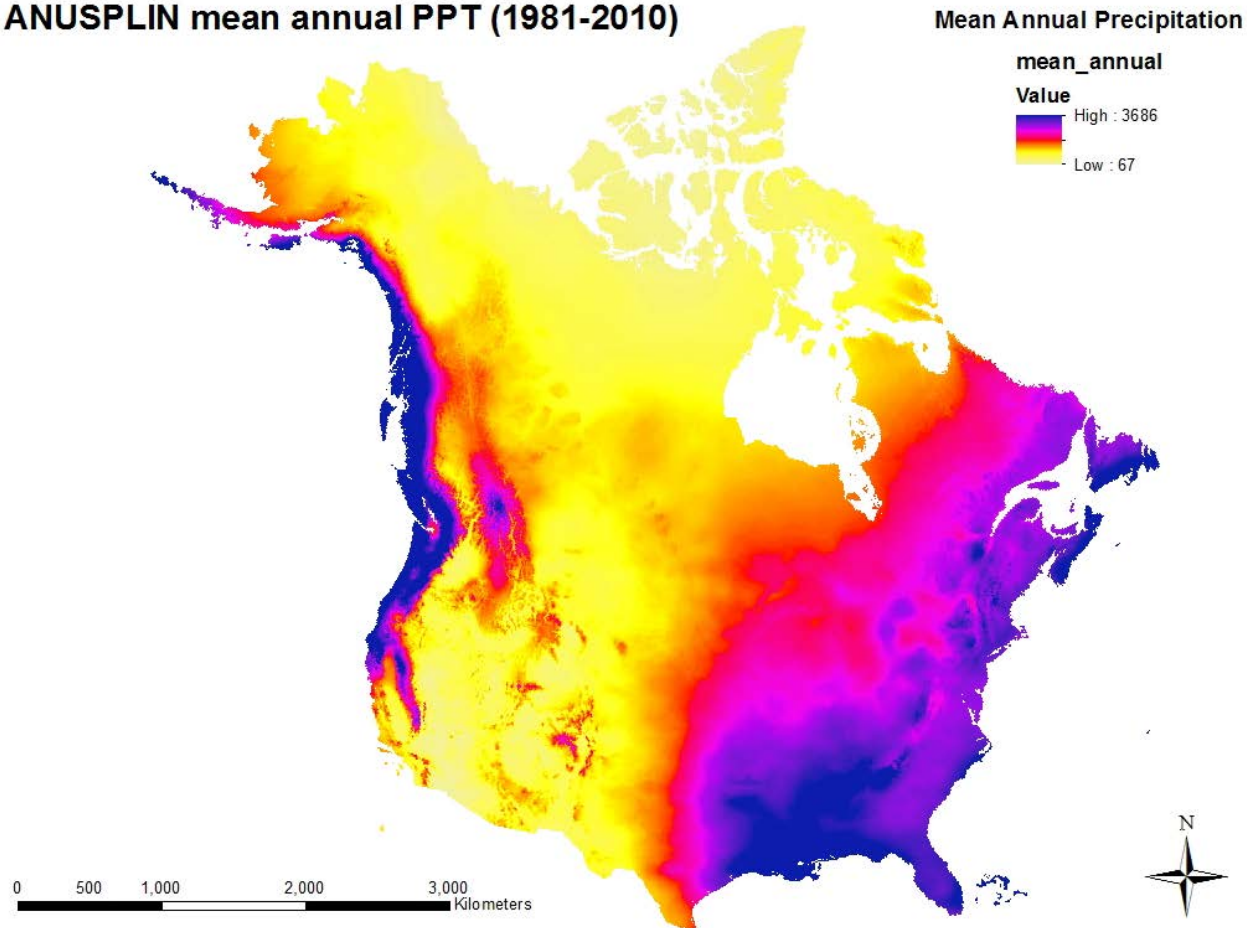
Regional Models

- 771 Hydrometric stations
- Minimum 20 years of recorded flows
- 20 to 111 years range of stationary records

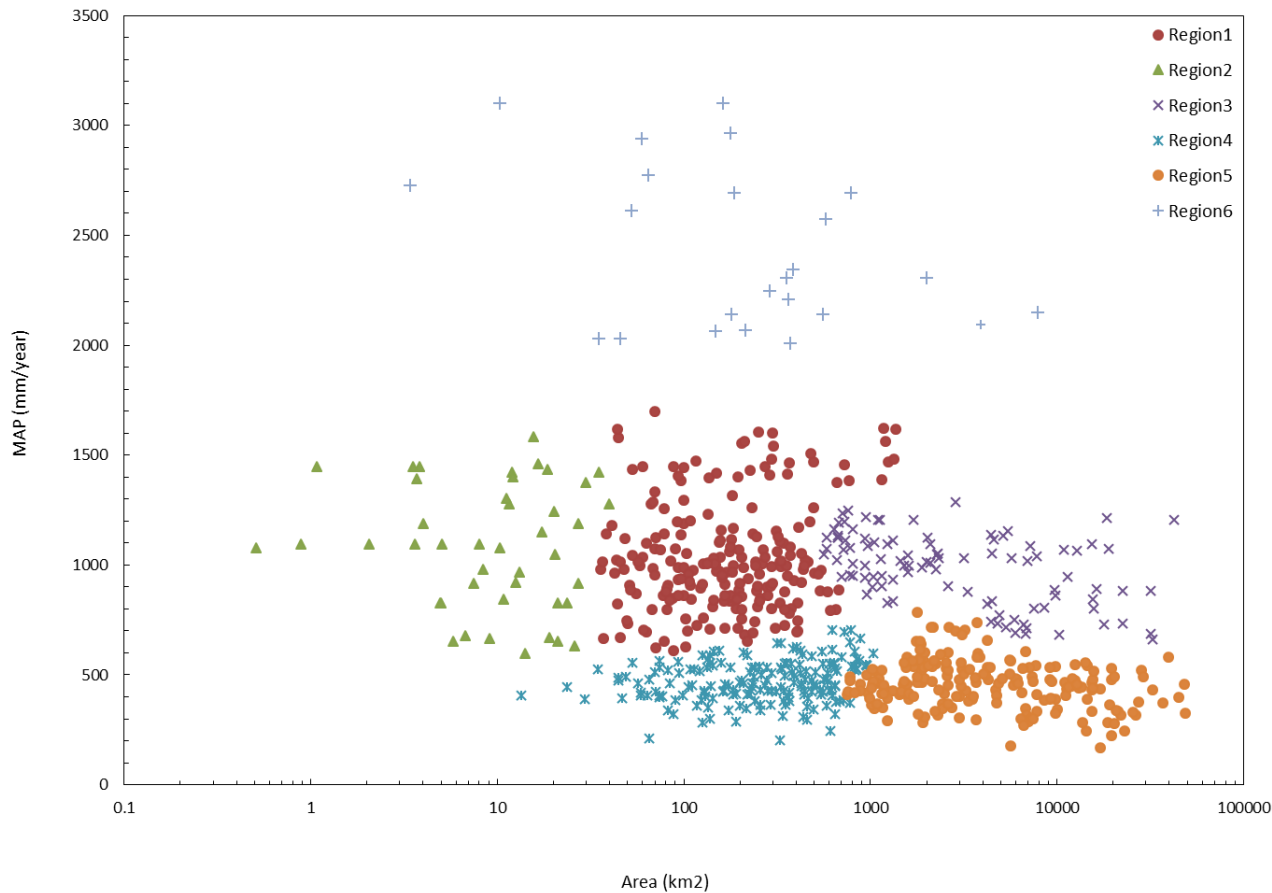


Regional Models

ANUSPLIN mean annual PPT (1981-2010)



Regional Models

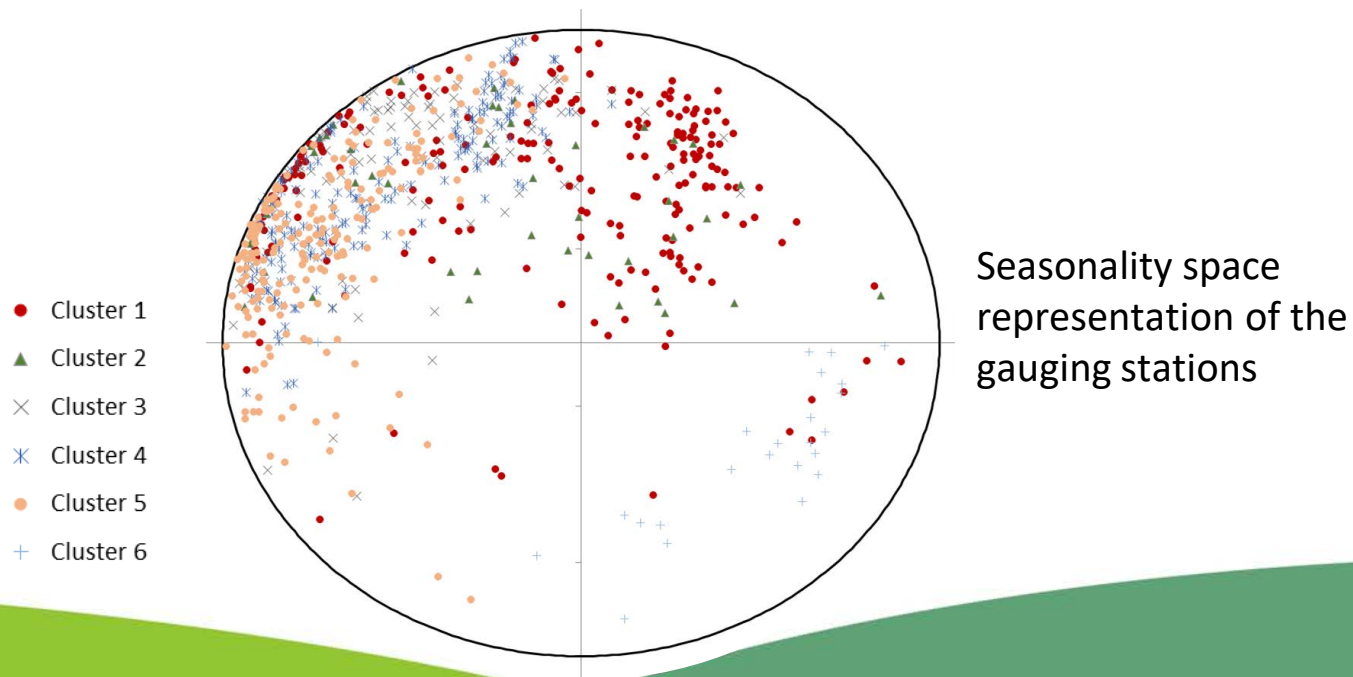


Super regions?

Regional Models

Steps in the analysis:

- ✓ 6 super regions were considered
- ✓ 4 different combination of seasonality measures
- ✓ Seasonality measures estimated for each site
- ✓ Euclidian distance to define dissimilarity
- ✓ Sites were arranged in descending similarity order



Regional Models

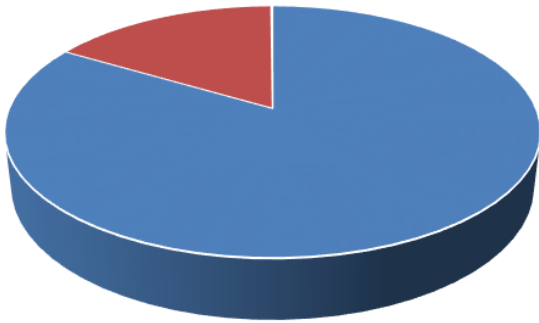
Steps in the analysis:

- ✓ for each target site the first 25 similar sites were identified
- ✓ Initial ROI for the target site
- ✓ Homogeneity of ROI was checked
- ✓ Heterogeneous ROIs were revised
- ✓ Site with maximum improvement in ROI homogeneity sequentially removed
- ✓ Homogeneity of ROI was reevaluated

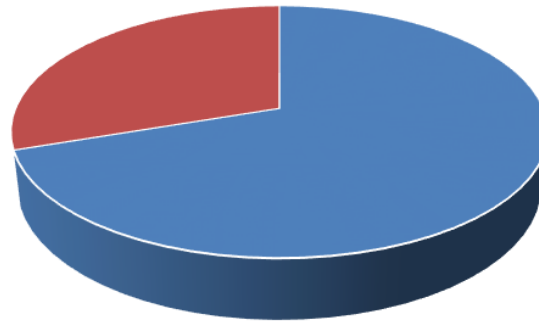
Regional Models

Identified ROIs for each catchment:

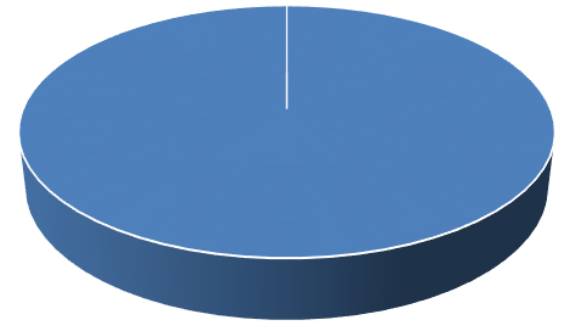
Super Region 1



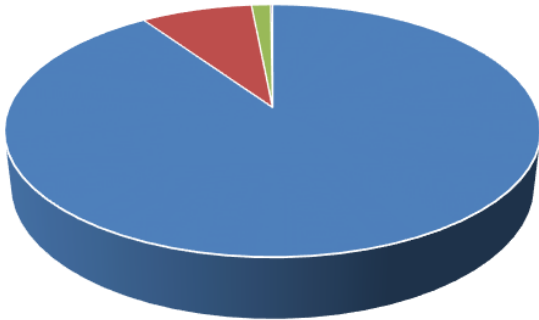
Super Region 2



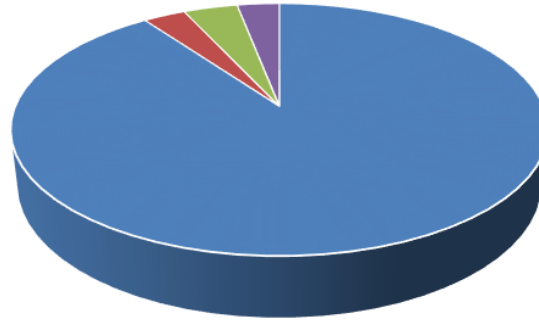
Super Region 3



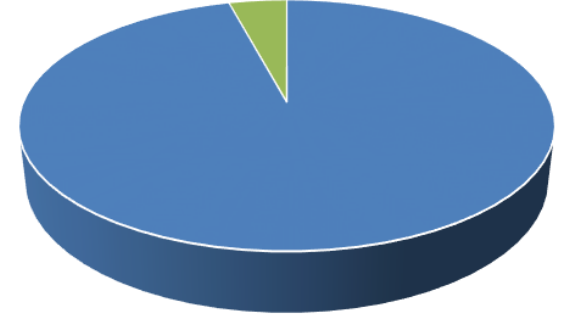
Super Region 4



Super Region 5



Super Region 6



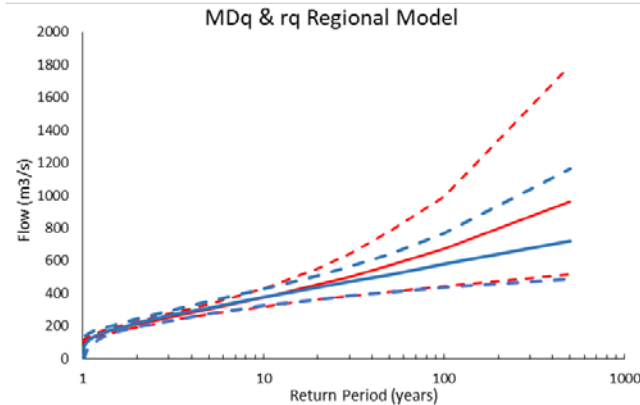
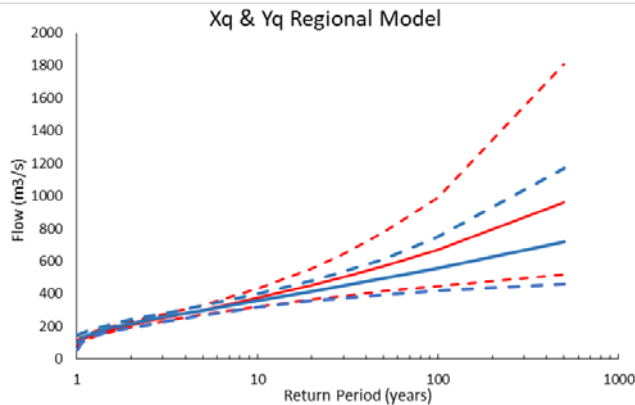
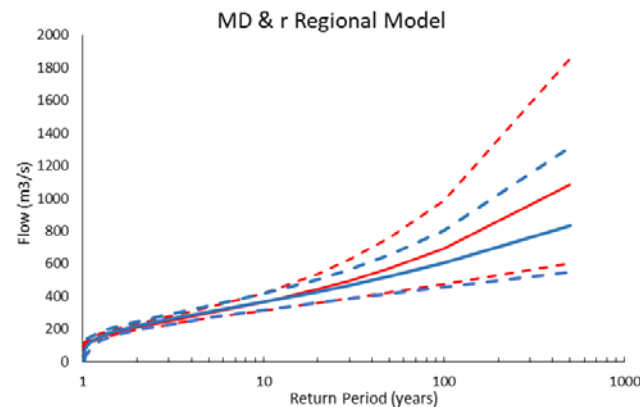
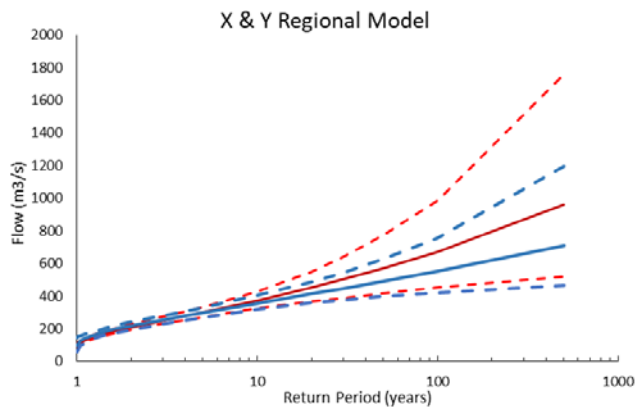
■ H<1 ■ 1≤H<2 ■ 2≤H<3 ■ H≥3

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Regional Models

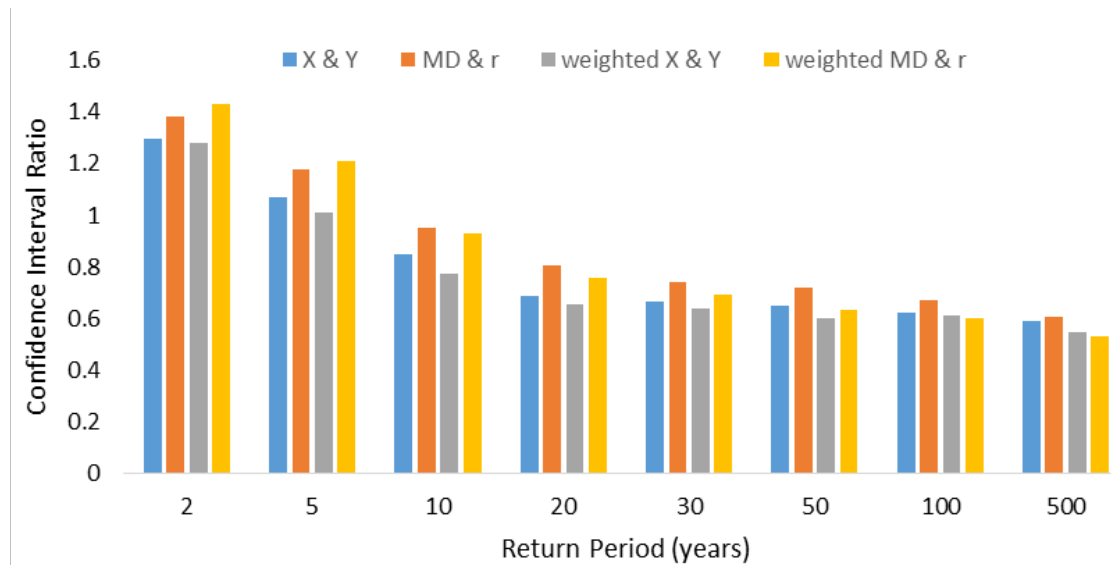
Quantile estimation and confidence interval comparison- site 01EF001



- at-site quantile
- - - at-site confidence interval
- Regional quantile
- - - regional confidence interval

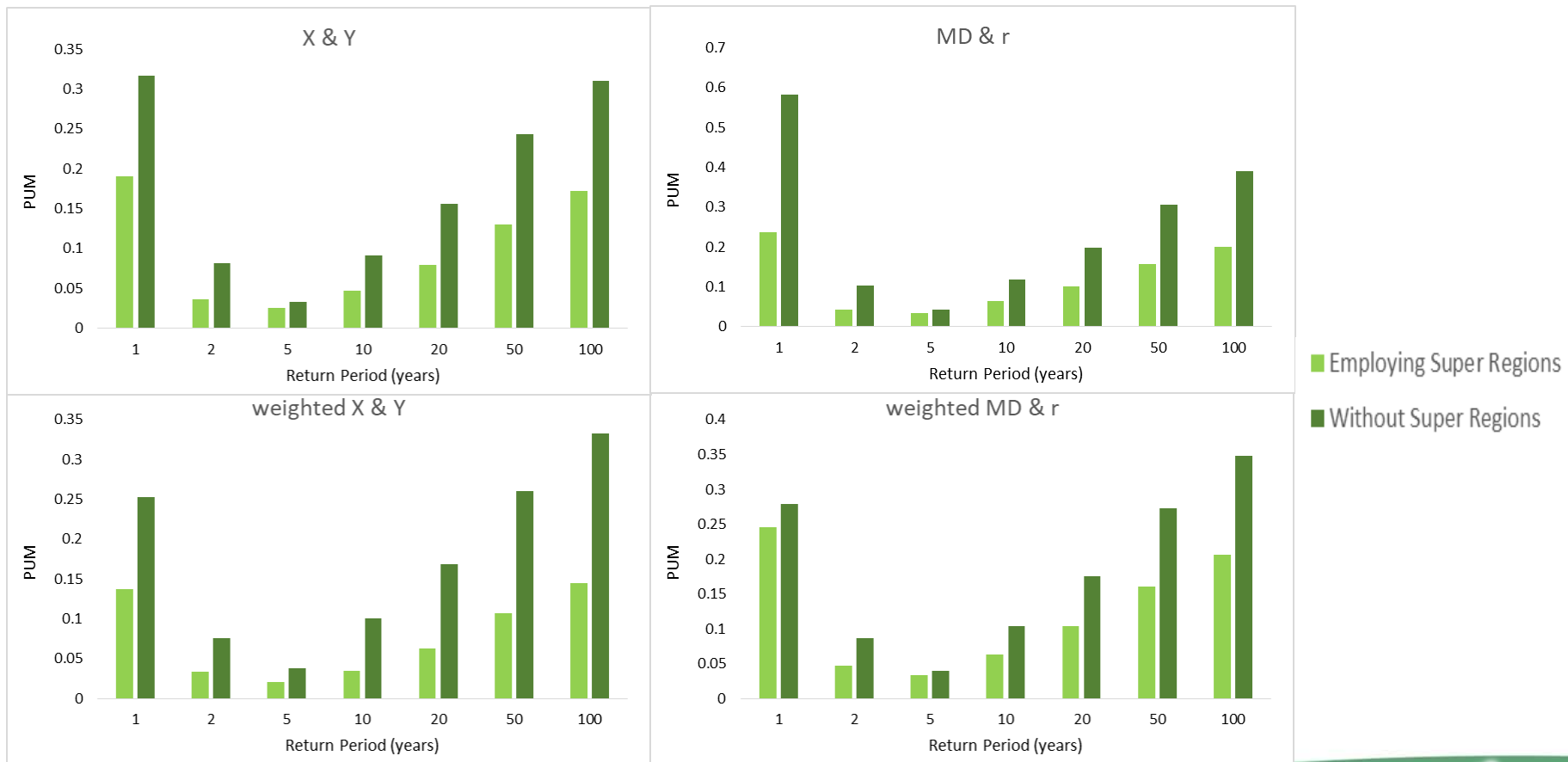
Regional Models

Confidence interval comparison for different return periods:



Regional Models

Pooled Uncertainty Measure (PUM):



Conclusion

Summary of results:

- ✓ Hydrometric stations across Canada
- ✓ Pooled flood frequency analysis
- ✓ Region of Influence (ROI) approach
- ✓ In the context of super regions
- ✓ Homogeneous regions successfully constructed
- ✓ Quantile estimates obtained for longer return periods
- ✓ Employing super regions improved quantile estimation

Questions



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